

rate for the packed bed can be seen. The fluid velocity at the transition is taken as u_{mf} . On fluidizing the bed again, the latter type of behaviour with no peak may be observed.

If it is necessary to predict the minimum fluidization velocity the following correlation [Grace (1982)] may be used for gas–solid systems.

$$\frac{\rho u_{mf} d_p}{\mu} = (C^2 + 0.0408 Ar)^{1/2} - C \quad (9.36)$$

where

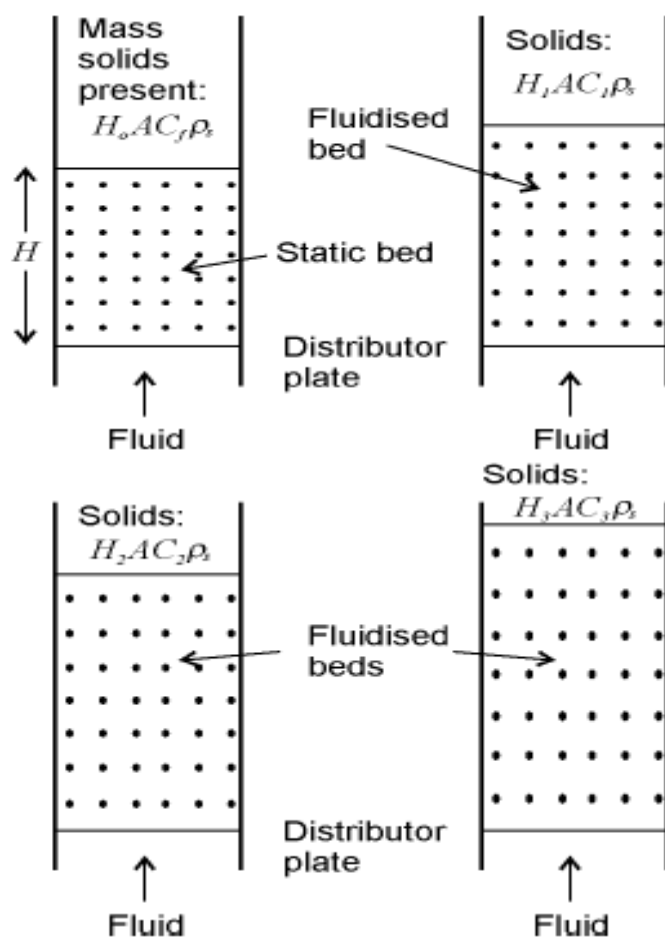
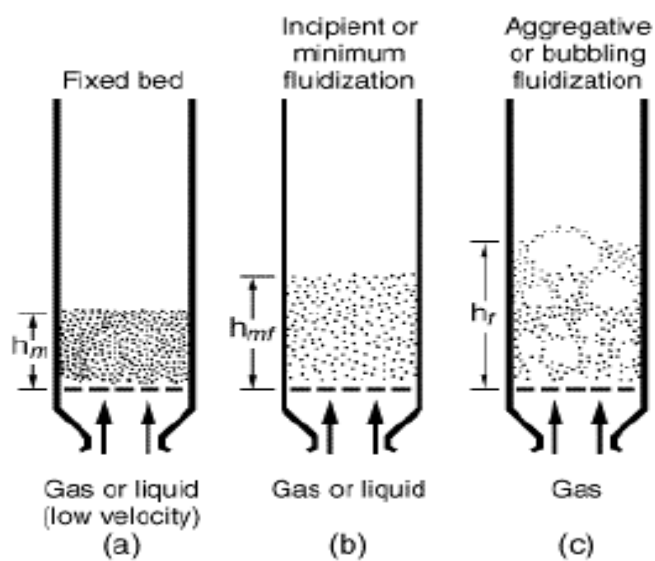
$$Ar = \rho g d_p^3 (\rho_p - \rho) / \mu^2 \quad (9.37)$$

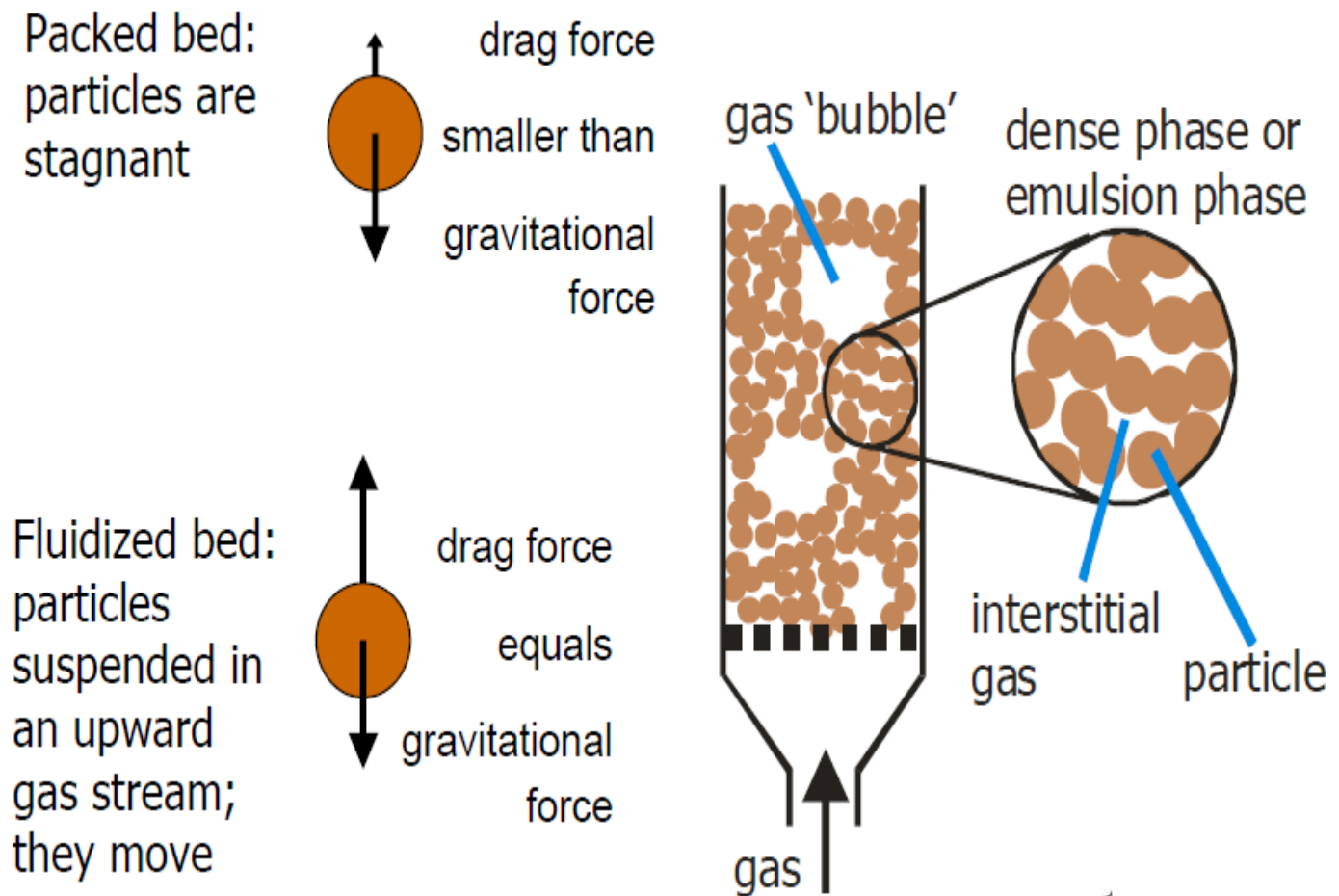
is the Archimedes (or Galileo) number. Some doubt exists regarding the value of the constant C , with some workers using the value 27.2 and others 33.4 or 33.7. It would seem reasonable to use a mean value of 30.

If it is possible to measure the height of the bed at incipient fluidization, L_{mf} , then ε_{mf} can be calculated from equation 9.34 or simply from the ratio of L_{mf} to the height of the packed bed if the void fraction in the latter is known.

In the absence of pressure drop and void fraction measurements, u_{mf} is calculated from equation 9.36 and ε_{mf} can be estimated from equation 9.35.

Single particles will tend to be carried out of the bed if the fluid velocity exceeds the terminal falling speed u_t of the particles given by equation 9.5. Thus the normal range of fluidization velocity is from u_{mf} to u_t . However, it may be found that the fluid velocity required to bring about fast fluidization is significantly higher than u_t because particles tend to form clusters.





Static Head of Solids

When acceleration, friction and gas head are negligible

$$\Delta P = \frac{\text{weight of particles} - \text{upthrust on particles}}{\text{bed cross-sectional area}}$$

$$\frac{\Delta P}{L} = (1 - \epsilon)(\rho_p - \rho)g$$

